## Amendments to the claims:

This listing of claims replaces all prior versions and listings of claims in the application:

- (Currently amended) A method of applying overlaid perturbation vectors for gradient 1. feedback transmit antenna array adaptation in a communication system, wherein the communication system includes a transmitter and a receiver, and wherein the transmitter includes a plurality of antennae, comprising the steps acts of:
  - overlaying at least one weight vector perturbation vector;
  - measuring signals transmitted in accordance with multiple weight vector perturbation b) vectors during a measurement interval, wherein the measurement interval has a greater duration than a feedback interval;
  - generating a feedback based on the measurements of step act-(b); c)
  - determining a new weight vector perturbation vector based on the feedback generated d) in the step act-(c); and
  - returning to the step\_act\_(a);

wherein, at a time i, an even weight vector  $\underline{\mathbf{w}}_{even}(i)$ , an odd weight vector  $\underline{\mathbf{w}}_{odd}(i)$ , and a data weight vector  $\mathbf{w}(i)$ , are represented by the following equations in which  $\mathbf{w}_{base}(i)$  at least approximates a preceding weight vector,  $\beta$  comprises an algorithm parameter, I comprises a number of time periods, and v(k) comprises a perturbation vector:

i) 
$$\mathbf{w}_{even}(i) = \frac{\mathbf{w}_{base}(i) + \beta \|\mathbf{w}_{base}(i)\| \cdot \sum_{k=i-l+1}^{i} \mathbf{v}(k)}{\|\mathbf{w}_{base}(i) + \beta \|\mathbf{w}_{base}(i)\| \cdot \sum_{k=i-l+1}^{i} \mathbf{v}(k)\|};$$

ii) 
$$\mathbf{w}_{odd}(i) = \frac{\mathbf{w}_{base}(i) - \beta \|\mathbf{w}_{base}(i)\| \cdot \sum_{k=i-I+1}^{i} \mathbf{v}(k)}{\|\mathbf{w}_{base}(i) - \beta \|\mathbf{w}_{base}(i)\| \cdot \sum_{k=i-I+1}^{i} \mathbf{v}(k)\|}; \text{ and}$$
iii) 
$$\mathbf{w}(i) = \frac{\mathbf{w}_{even}(i) + \mathbf{w}_{odd}(i)}{2}.$$

iii) 
$$\mathbf{w}(i) = \frac{\mathbf{w}_{even}(i) + \mathbf{w}_{odd}(i)}{2}$$

- 2. (Currently amended) The method of applying overlaid perturbation vectors as defined in Claim 1, wherein stepthe act (c) comprises generating at least one feedback bit per feedback interval.
- 3. (Original) The method of applying overlaid perturbation vectors as defined in Claim 1, wherein the communication system comprises a DS-CDMA communication system.
- 4. (Original) The method of applying overlaid perturbation vectors as defined in Claim 1, wherein the measurement interval is approximately 2 times the feedback interval.
- 5. (Canceled)
- 6. (Currently amended) The method according to Claim 1 wherein the perturbation vectors  $\mathbf{v}(i)\mathbf{v}(k)$  have a long term average or statistical autocorrelation given by the following equation:

$$\lim_{K\to\infty}\frac{1}{K}\sum_{k=i}^{i+K-1}\mathbf{v}(k)\mathbf{v}^{H}(k)=2\mathbf{I}.$$

- 7. (Original) The method according to claim 6 wherein the parameter  $\beta$  defines an adaptation rate.
- 8. (Previously presented) The method of applying overlaid perturbation vectors as defined in Claim 1, wherein the step (d) of Claim 1 comprises the following sub-steps:
  - i) waiting for a new measurement interval and reception of the feedback;
  - ii) if the feedback indicates that an even channel yields better results, then determining a base weight utilizing a first equation, else determining the base weight utilizing a second equation; and
  - iii) determining new values of the even weight vector, the odd weight vector and the data weight vector.
- 9. (Original) The method of applying overlaid perturbation vectors as defined in Claim 8, wherein the first equation is represented by the following equation:

$$\mathbf{w}_{base}(i) = \frac{\sum_{k=i-1}^{i-1} \mathbf{w}_{even}(k)}{\left\| \sum_{k=i-1}^{i-1} \mathbf{w}_{even}(k) \right\|}.$$

10. (Original) The method of applying overlaid perturbation vectors as defined in Claim 8, wherein the second equation is represented by the following equation:

$$\mathbf{w}_{base}(i) = \frac{\sum_{k=i-1}^{i-1} \mathbf{w}_{odd}(k)}{\left\| \sum_{k=i-1}^{i-1} \mathbf{w}_{odd}(k) \right\|}.$$

11. (Original) The method of applying overlaid perturbation vectors as defined in Claim 1, wherein the method is capable of independently adjusting a first perturbation size that is applied at transmission during a measurement interval and a second perturbation size applied as an update to a tracked weight vector.

## 12-13. (Canceled)

- 14. (Previously presented) The method of applying overlaid perturbation vectors as defined in Claim 15, wherein the second index represents one of two states, wherein a first state represents "before feedback received" and a second state represents "after feedback received".
- 15. (Currently amended) A method of applying overlaid perturbation vectors for gradient feedback transmit antenna array adaptation in a communication system, wherein the communication system includes a transmitter having a plurality of antennae and a receiver, the method being capable of representing lagged feedback through utilization of multiple indices including a first index and a second index, and comprising steps the acts of:
  - a) overlaying at least one weight vector perturbation vector;
  - b) measuring signals transmitted in accordance with multiple weight vector perturbation vectors during a measurement interval, wherein the measurement interval has a greater duration than a feedback interval;
  - c) generating a feedback based on the measurements of act-step (b);

- d) determining a new weight vector perturbation vector based on the feedback generated in the act-step (c), including the following sub-stepsacts:
  - i) determining a first index base weight, a first index even weight, a first index odd weight and a first index data weight from a first set of equations, equations;
  - ii) waiting for the second time-index to increment, wherein incrementing the second-time index indicates a second state, and; and
  - iii) if the feedback indicates that an even channel yielded better results, then determining a second index base weight, a second index even weight, a second index odd weight and a second index data weight from a second set of equations, else determining the second index base weight, the second index even weight, the second index odd weight and the second index data weight from a third set of equations; and
- e) returning to the act step (a).
- 16. (Currently amended) The method of applying overlaid perturbation vectors as defined in Claim 15, wherein the first set of equations is represented by the following equations:

$$\mathbf{w}_{base}(i,0) = \mathbf{w}_{base}(i-1,1);$$

v(i) = normalized test perturbation function;

$$\mathbf{w}_{even}(i,0) = \frac{\mathbf{w}_{base}(i,0) + \beta_1 \|\mathbf{w}_{base}(i,0)\| \sum_{k=i-l+1}^{i} \mathbf{v}(k)}{\|\mathbf{w}_{base}(i,0) + \beta_1 \|\mathbf{w}_{base}(i,0)\| \sum_{k=i-l+1}^{i} \mathbf{v}(k)\|};$$

$$\mathbf{w}_{odd}(i,0) = \frac{\mathbf{w}_{base}(i,0) - \beta_1 \|\mathbf{w}_{base}(i,0)\| \sum_{k=i-l+1}^{i} \mathbf{v}(k)}{\|\mathbf{w}_{base}(i,0) - \beta_1 \|\mathbf{w}_{base}(i,0)\| \sum_{k=i-l+1}^{i} \mathbf{v}(k)\|}; \text{ and}$$

$$\mathbf{w}(i,0) = \frac{\mathbf{w}_{even}(i,0) + \mathbf{w}_{odd}(i,0)}{2}.$$

in which, at a time i,  $\mathbf{w}_{even}(i, 0)$  comprises an even weight vector,  $\mathbf{w}_{odd}(i, 0)$  comprises an odd weight vector,  $\mathbf{w}(i, 0)$  comprises a data weight vector,  $\mathbf{w}_{base}(i, 0)$  at least approximates a

preceding weight vector,  $\mathbf{v}(k)$  comprises a perturbation vector,  $\beta_1$  comprises an algorithm parameter, and I comprises a number of time periods.

(Currently amended) The method of applying overlaid perturbation vectors as defined in Claim 15, wherein the second set of equations is represented by the following equations:

$$\mathbf{w}_{base}(i,1) = \frac{\mathbf{w}_{base}(i,0) + \frac{\beta_{2}}{\beta_{1}} \left( \frac{1}{I} \sum_{k=i-1}^{i-1} (\alpha \mathbf{w}_{even}(k,0) + (1-\alpha) \mathbf{w}_{even}(k-1,1)) - \mathbf{w}_{base}(i,0) \right)}{\left\| \mathbf{w}_{base}(i,0) + \frac{\beta_{2}}{\beta_{1}} \left( \frac{1}{I} \sum_{k=i-1}^{i-1} (\alpha \mathbf{w}_{even}(k,0) + (1-\alpha) \mathbf{w}_{even}(k-1,1)) - \mathbf{w}_{base}(i,0) \right) \right\|};$$

$$\mathbf{w}_{even}(i,1) = \frac{\mathbf{w}_{base}(i,1) + \beta_{1} \left\| \mathbf{w}_{base}(i,1) \right\| \sum_{k=i-I+1}^{i} \mathbf{v}(k)}{\left\| \mathbf{w}_{base}(i,1) + \beta_{1} \left\| \mathbf{w}_{base}(i,1) \right\| \sum_{k=i-I+1}^{i} \mathbf{v}(k)} \right|};$$

$$\mathbf{w}_{odd}(i,1) = \frac{\mathbf{w}_{base}(i,1) - \beta_{1} \left\| \mathbf{w}_{base}(i,1) \right\| \sum_{k=i-I+1}^{i} \mathbf{v}(k)}{\left\| \mathbf{w}_{base}(i,1) - \beta_{1} \left\| \mathbf{w}_{base}(i,1) \right\| \sum_{k=i-I+1}^{i} \mathbf{v}(k)} \right|};$$
and
$$\mathbf{w}_{odd}(i,1) = \frac{\mathbf{w}_{even}(i,1) + \mathbf{w}_{odd}(i,1)}{\left\| \mathbf{w}_{base}(i,1) + \mathbf{w}_{odd}(i,1) \right\|};$$

 $\mathbf{w}(i,1) = \frac{\mathbf{w}_{even}(i,1) + \mathbf{w}_{odd}(i,1)}{2}$ 

in which, at a time i,  $\mathbf{w}_{base}(i, 1)$  and  $\mathbf{w}_{base}(i, 0)$  at least approximate preceding weight vectors,  $\underline{\mathbf{w}_{even}(k, 0)}, \underline{\mathbf{w}_{even}(k-1, 1)}, \text{ and } \underline{\mathbf{w}_{even}(i, 1)} \text{ comprise even weight vectors, } \underline{\mathbf{w}_{odd}(i, 1)} \text{ comprises an}$ odd weight vector,  $\mathbf{w}(i, 1)$  comprises a data weight vector,  $\mathbf{v}(k)$  comprises a perturbation vector,  $\beta_1$  and  $\beta_2$  comprise algorithm parameters, and I comprises a number of time periods.

(Currently amended) The method of applying overlaid perturbation vectors as defined in Claim 15, wherein the third set of equations is represented by the following equations:

$$\mathbf{w}_{base}(i,1) = \frac{\mathbf{w}_{base}(i,0) + \frac{\beta_{2}}{\beta_{1}} \left( \frac{1}{I} \sum_{k=i-1}^{i-1} (\alpha \mathbf{w}_{odd}(k,0) + (1-\alpha) \mathbf{w}_{odd}(k-1,1)) - \mathbf{w}_{base}(i,0) \right)}{\left\| \mathbf{w}_{base}(i,0) + \frac{\beta_{2}}{\beta_{1}} \left( \frac{1}{I} \sum_{k=i-1}^{i-1} (\alpha \mathbf{w}_{odd}(k,0) + (1-\alpha) \mathbf{w}_{odd}(k-1,1)) - \mathbf{w}_{base}(i,0) \right) \right\|};$$

$$\mathbf{w}_{even}(i,1) = \frac{\mathbf{w}_{base}(i,1) + \beta_1 \|\mathbf{w}_{base}(i,1)\| \sum_{k=i-I+1}^{i} \mathbf{v}(k)}{\|\mathbf{w}_{base}(i,1) + \beta_1 \|\mathbf{w}_{base}(i,1)\| \sum_{k=i-I+1}^{i} \mathbf{v}(k)\|};$$

$$\mathbf{w}_{odd}(i,1) = \frac{\mathbf{w}_{base}(i,1) - \beta_1 \|\mathbf{w}_{base}(i,1)\| \sum_{k=i-I+1}^{i} \mathbf{v}(k)}{\|\mathbf{w}_{base}(i,1) - \beta_1 \|\mathbf{w}_{base}(i,1)\| \sum_{k=i-I+1}^{i} \mathbf{v}(k)\|}; \text{ and}$$

$$\mathbf{w}(i,1) = \frac{\mathbf{w}_{even}(i,1) + \mathbf{w}_{odd}(i,1)}{2}.$$

in which, at a time i,  $\mathbf{w}_{base}(i, 1)$  and  $\mathbf{w}_{base}(i, 0)$  at least approximate preceding weight vectors,  $\mathbf{w}_{odd}(k, 0)$ ,  $\mathbf{w}_{odd}(k, 1)$ , and  $\mathbf{w}_{odd}(i, 1)$  comprise odd weight vectors,  $\mathbf{w}_{even}(i, 1)$  comprises an even weight vector,  $\mathbf{w}(i, 1)$  comprises a data vector,  $\mathbf{v}(k)$  comprises a perturbation vector,  $\beta_1$  and  $\beta_2$  comprise algorithm parameters, and I comprises a number of time periods.

- 19. (Currently amended) A method of applying overlaid perturbation vectors for gradient feedback transmit antenna array adaptation in a communication system, wherein the communication system includes a transmitter having a plurality of antennae and a receiver, the method being capable of representing lagged feedback through utilization of multiple indices including a first index and a second index, and comprising the acts-steps of:
  - a) overlaying at least one weight vector perturbation vector;
  - b) measuring signals transmitted in accordance with multiple weight vector perturbation vectors during a measurement interval, wherein the measurement interval has a greater duration than a feedback interval;
  - c) generating a feedback based on the measurements of act step (b);
  - d) determining a new weight vector perturbation vector based on the feedback generated in <u>step the act-(c)</u>, including the following sub-acts steps:
    - i) determining a set of transmission weights according to a first set of equations, wherein the set of transmission weights are applied prior to receipt of feedback as indicated by a second time index, index;

- ii) waiting for receipt of feedback, feedback;
- iii) if the feedback indicates that an even channel yielded better results, then iv)
  updating the set of transmission weights according to a second set of equations,
  equations;
- iv) if the feedback indicates that an odd channel yielded better results, then updating the set of transmission weights according to a third set of equations, equations; and
- v) applying the updated set of transmission weights after receipt of feedback as indicated by the second time index; and
- e) returning to the act step (a).
- 20. (Previously Presented) The method of applying overlaid perturbation vectors as defined in Claim 1, wherein the feedback consists of one bit.
- 21. (Original) The method of applying overlaid perturbation vectors as defined in Claim 1, wherein the feedback comprises multiple bits.
- 22. (Previously Presented) The method of applying overlaid perturbation vectors as defined in Claim 21, wherein the feedback consists of two bits.
- 23. (Previously Presented) The method of applying overlaid perturbation vectors as defined in Claim 21, wherein the feedback consists of three bits.
- 24-31. (Canceled)